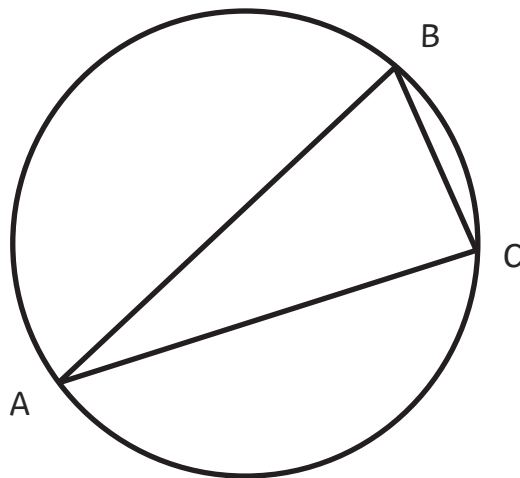


# Circles 1

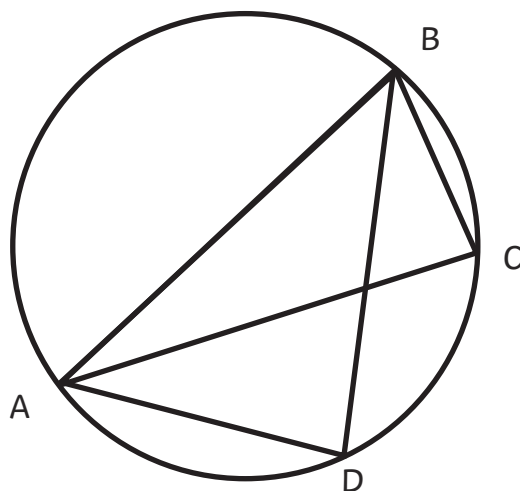
Draw a circle and mark 3 points: A, B and C anywhere on the circumference. Join the points with a ruler to make a triangle.



Measure the angles  $\angle ABC$ ,  $\angle BCA$  and  $\angle CAB$  on your circle.

Measure the angles  $\angle ABC = \underline{\hspace{2cm}}$   $\angle BCA = \underline{\hspace{2cm}}$   $\angle CAB = \underline{\hspace{2cm}}$

Mark another point on the circumference between points A and C, and call it point D. Draw a ruler line from A to D, and from B to D.



Measure the angles  $\angle ABD$ ,  $\angle BDA$  and  $\angle DAB$  on your circle.

Measure the angles  $\angle ABD = \underline{\hspace{2cm}}$   $\angle BDA = \underline{\hspace{2cm}}$   $\angle DAB = \underline{\hspace{2cm}}$

What do you notice?

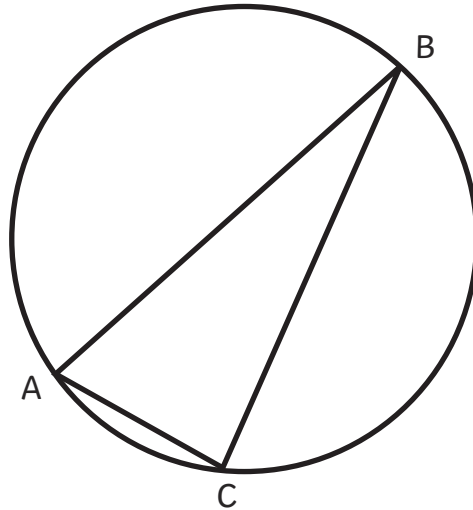
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# Circles 2

Draw a circle. Draw a ruler line across the diameter, marking the points where the diameter meets the circumference as A and B.

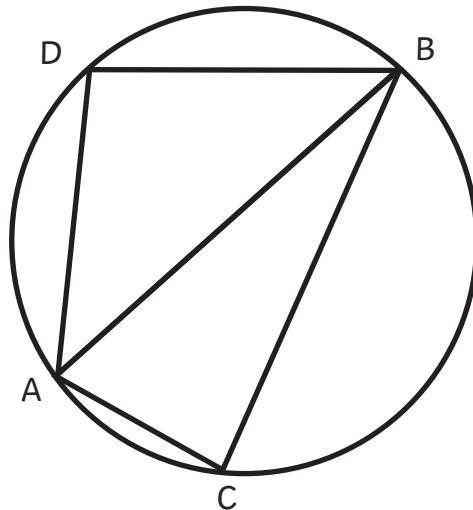
Mark a third point C anywhere on the circumference, and join C to A and C to B using a ruler.



Measure the angle  $\angle BCA$  on your circle.

$\angle BCA =$  \_\_\_\_\_

Mark point D anywhere on the opposite side of the circumference from C, and draw lines AD and BD.



Measure the angle  $\angle BDA$  on your circle.

$\angle BDA =$  \_\_\_\_\_

What do you notice about  $\angle BCA$  and  $\angle BDA$ ?

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# Answers

## Circles 1

The angles inside each triangle should add up to  $180^\circ$ .

Angle  $\angle BCA$  and  $\angle BDA$  should be the same.

## Circles 2

The angles  $\angle BCA$  and  $\angle BDA$  are both  $90^\circ$ .

Any triangle with all 3 vertices on the circumference of a circle, where one side is the diameter will be a right-angled triangle.